



# A Simulation Model of Foot-and-Mouth Disease in Bangladesh to Support Response and Control Actions

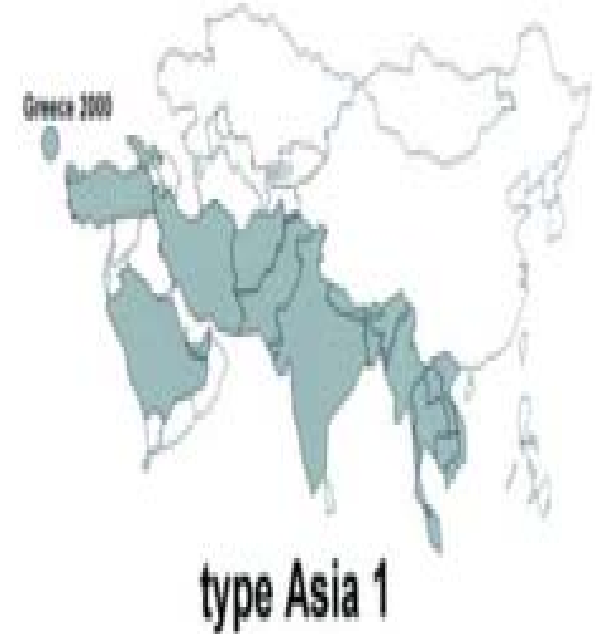
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# Introduction

Foot and mouth disease **endemic** in Bangladesh. Three serotypes O, A and Asia 1 are distributed in Bangladesh along with other parts of the world.



# FMD modelling in Bangladesh

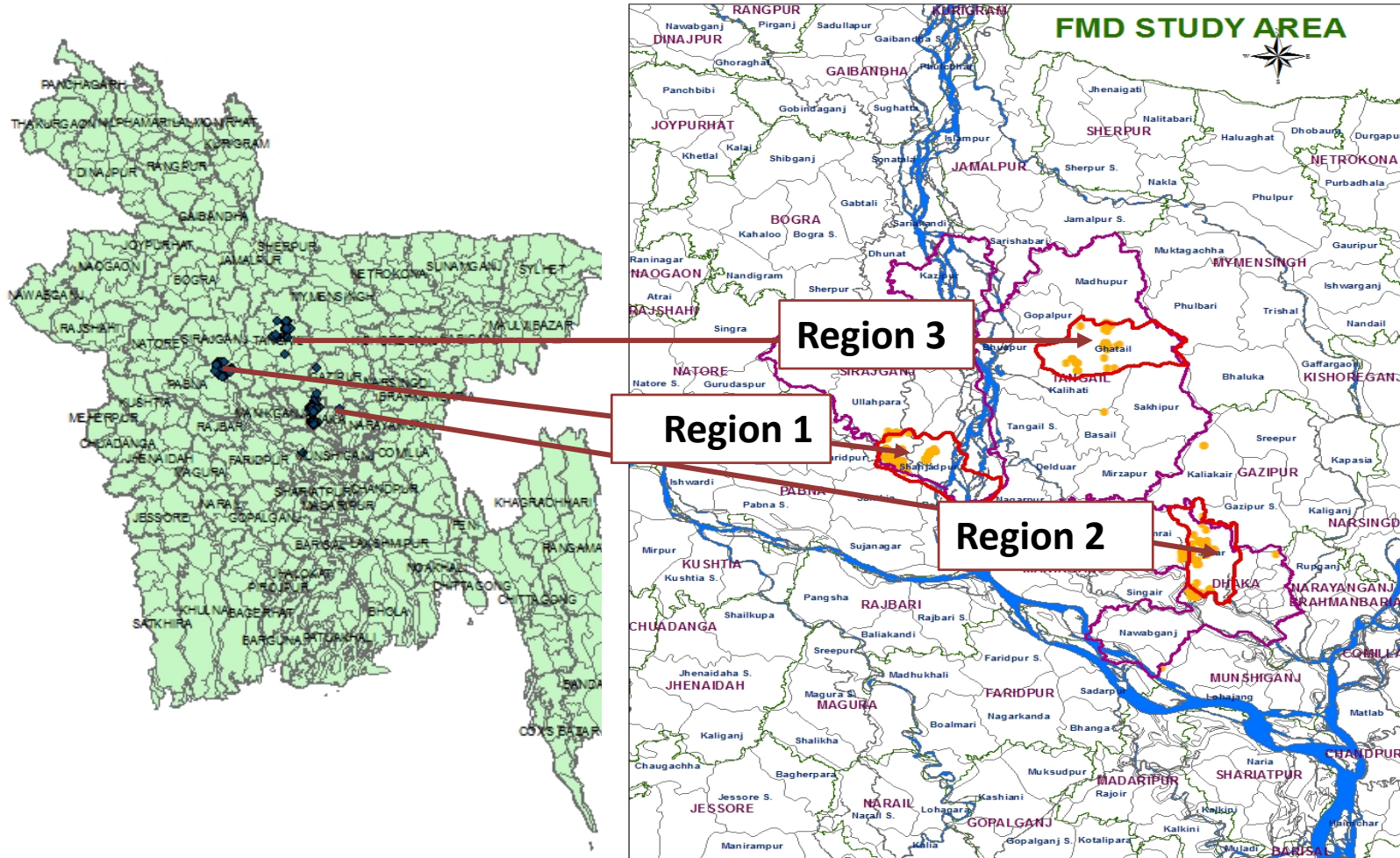
There has been no work on FMD modelling in Bangladesh prior to this study.

## Objective:

To develop a **SIR model** and study the feasibility of using **simulation models** for evaluating FMD control actions

# Methodology

Study areas:



- An active surveillance: From September 2013 to August 2015
- Index cases followed by secondary cases were identified within 3 km radius of the index cases and IPs (Infected Premises)
- Epidemiological data were collected using a prescribed form and GPS machine
- Samples were collected from affected animals for virus detection, characterization and antibody detection

## SIR

The model fitted to predicts changes in SIR dynamics over time step

## Basic Reproduction Number ( $R_0$ )

$$R_0 = \frac{\beta}{\gamma}$$

$\beta$  = transmission rate

$1/\gamma$  = Infectious period

The exponential transmission rate ( $\beta$ ) was calculated using Generalized Linear Model (GLM) (McCullagh and Nelder, 1989)

## Simulation model:

A herd-level simulation model described by Keeling et al. (2001) and Tildesley et al. (2008) was applied

$$\lambda_i = N_i \cdot S \sum_{j \in \mathcal{I}(t)} T \cdot N_j \cdot K(d_{i,j}),$$

$\lambda_i$  = Probability of transmission between farm  $i$  and  $j$

$N_i$  = Number of cattle in farm  $i$

$S$  = Susceptibility (10.5 for FMD)

$T$  = Transmissibility ( $7.7 \times 10^{-7}$  for FMD)

$N_j$  = Number of cattle in farm  $j$

$K(d_{i,j})$  = Transmission kernel

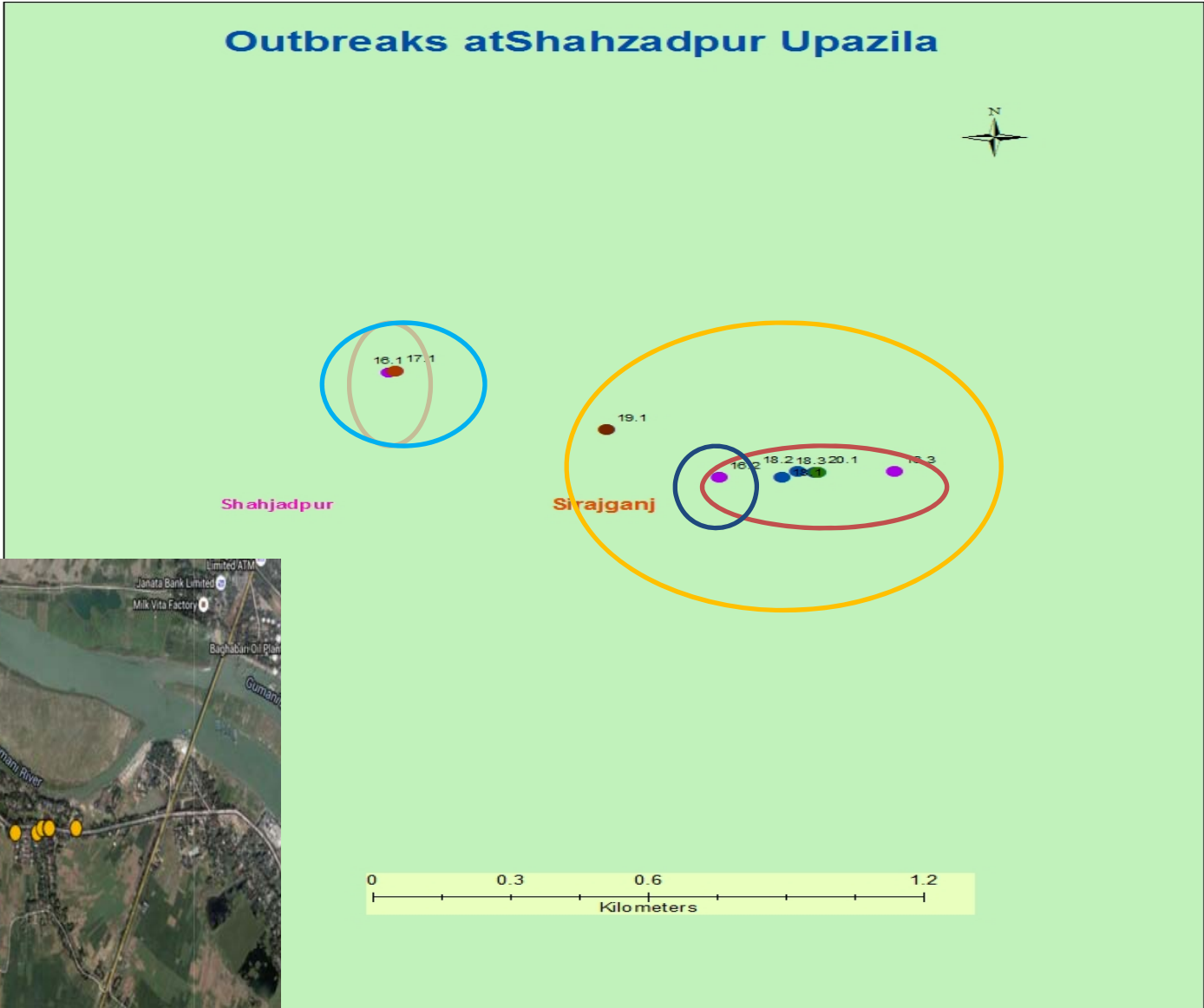
$d_{i,j}$  = Euclidian distance between farm  $i$  and  $j$

## Result:

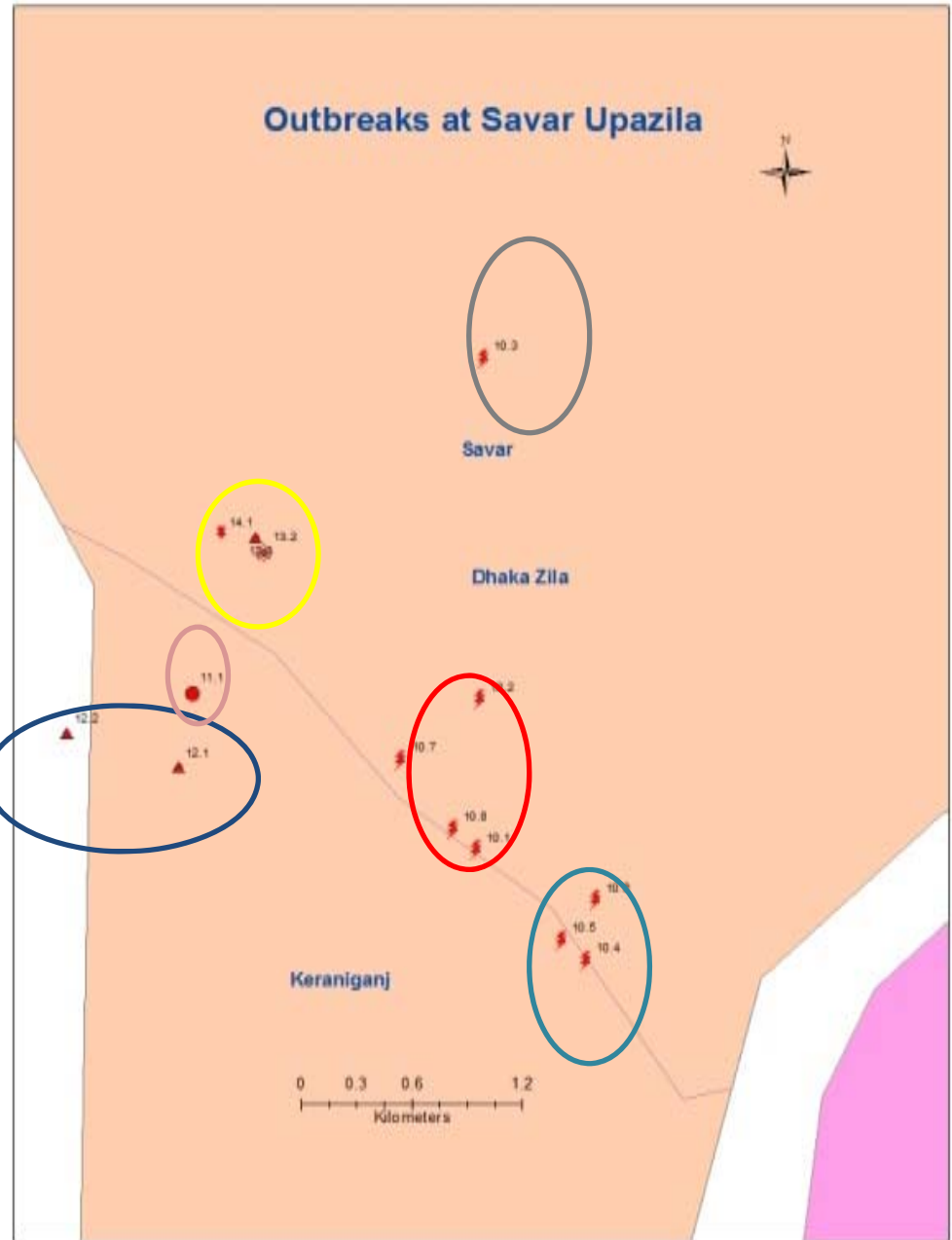
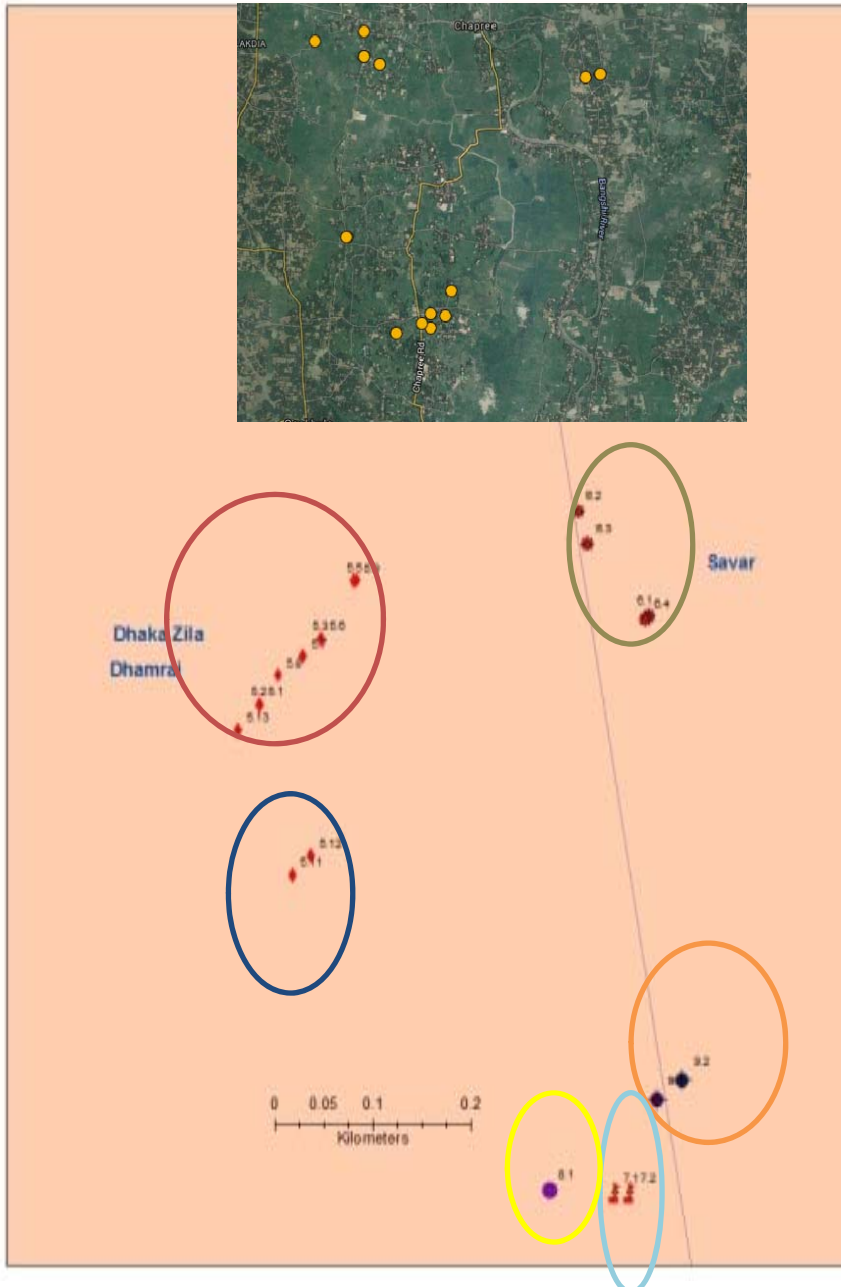
- ✓ Total 21 outbreaks were investigated in 3 regions comprising 64 IPs and with overall morbidity of 52%
- ✓ Among 21 outbreaks, samples for virus isolation were collected from 15 outbreaks and virus could be detected from 12 outbreaks; which included -
  - Type O: 5
  - Type A: 5
  - Type O +A: 1
  - Type Asia 1: 1



# Outbreak distribution in region 1



# Outbreak distribution in region 2

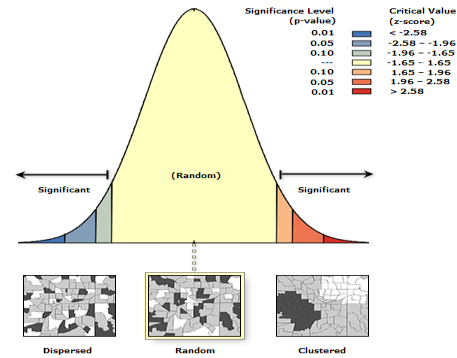




# Spatial Autocorrelation (Global Moran's I)

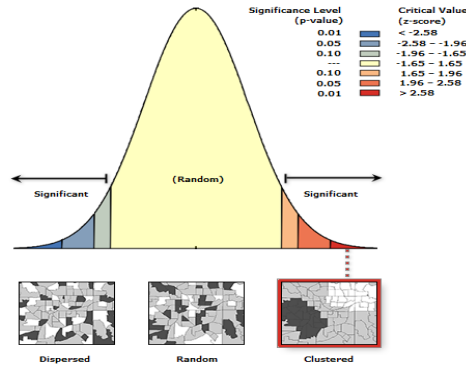
**Region-1  
(Shahjadpur)**

**Z score: -1.14  
P value: 0.25**



**Random pattern**

**Region-2  
(Savar,  
Gazipur,  
Keraniganj)**

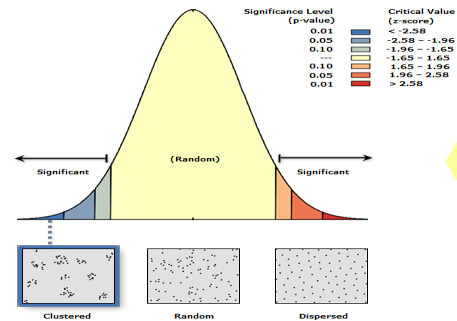


**Z score: 13.57  
P value: 0.00**

**Clustered pattern**

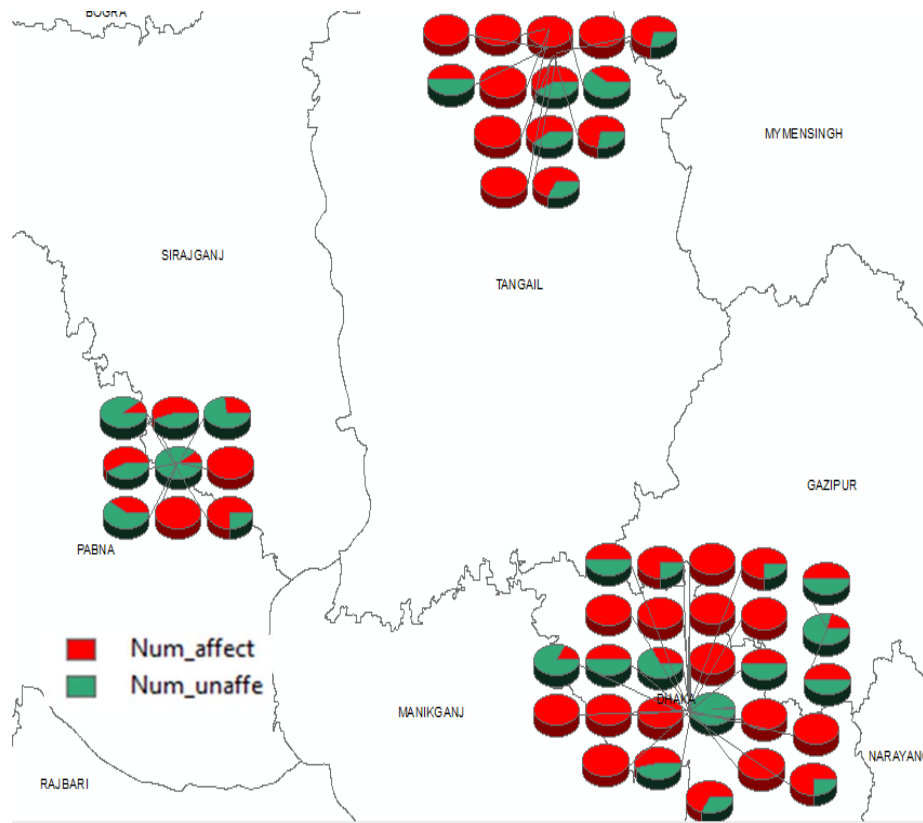
**Region-3  
(Tangail,  
Ghatail)**

**Z score: 3.72  
P value: 0.00019**



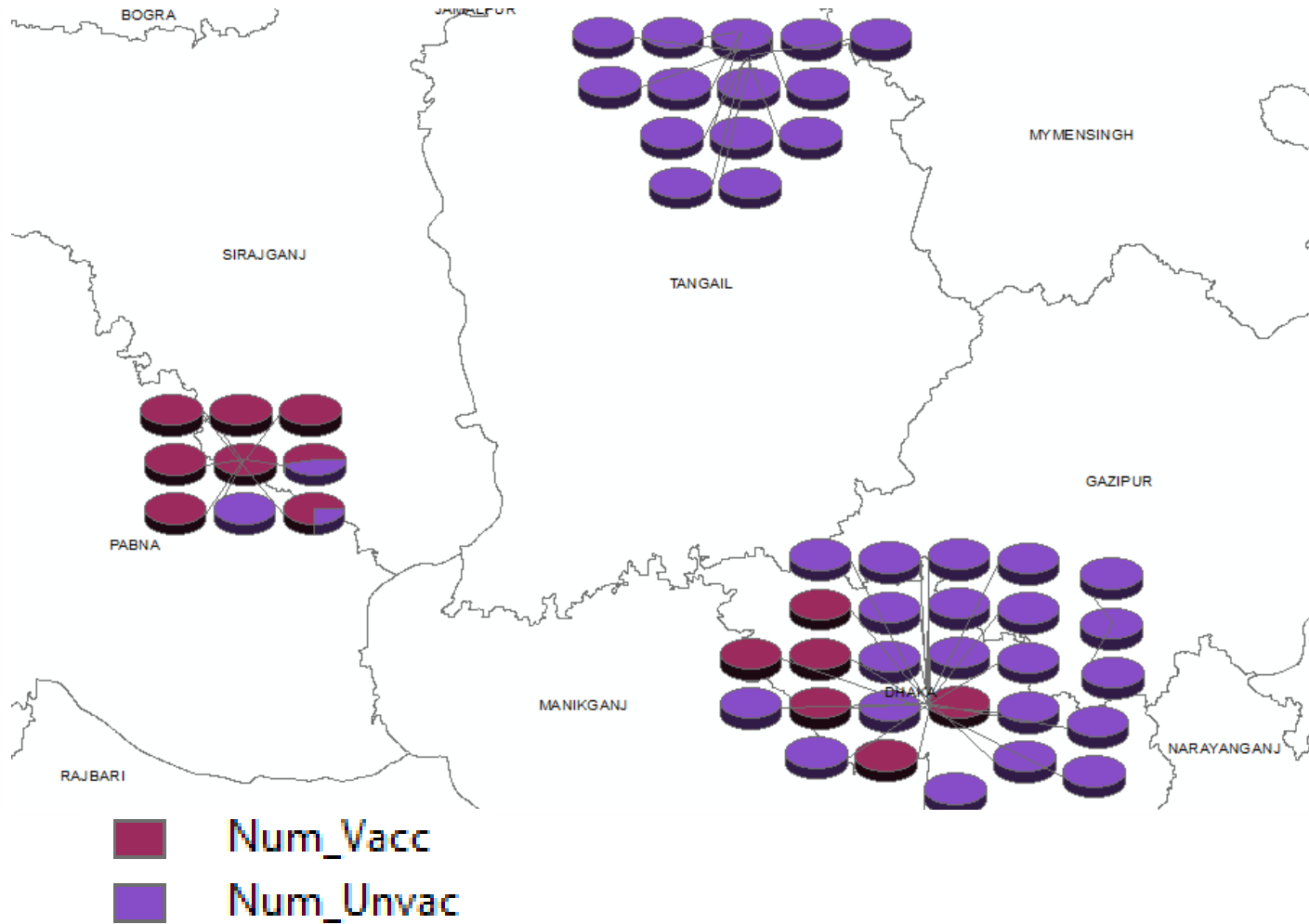
**Clustered pattern**

# Morbidity pattern



Morbidity	% herd
100%	47%
≥ 50% but <100%	43%
<50%	10%

# Outbreak distribution in vaccinated and non-vaccinated herds in different regions



Transmission rate were calculated by GLM and finally Basic reproduction ration ( $R_0$ ) were estimated:

Outbreak	Transmission rate ( $\beta$ )	Average period of infectiousness (days) ( $1/\gamma$ )	$R_0$
1	3.25	2.50	8.12
2	3.70	5.50	20.32
3	1.56	3.00	4.69
4	2.99	4.00	11.97
5	1.15	4.00	4.61
6	1.84	3.38	6.22
7	4.14	4.00	16.57
8	3.19	1.75	5.58
9	3.11	3.25	10.11
10	1.46	3.00	4.37
11	3.27	3.50	11.44
12	3.19	1.00	3.19
13	3.05	3.50	10.68
14	3.28	2.38	7.78
15	3.15	2.00	6.30
16	3.01	3.00	9.03
17	3.16	2.84	8.99
18	3.23	3.67	11.85
19	1.16	3.50	4.07
20	1.20	4.50	5.39
21	1.36	1.60	2.17
<b>Average</b>	<b>2.70</b>	<b>3.21</b>	<b>8.26</b>

## **$R_0$ and Critical Vaccination Threshold ( $q_c$ )**

Average  $R_0$ : 8.26

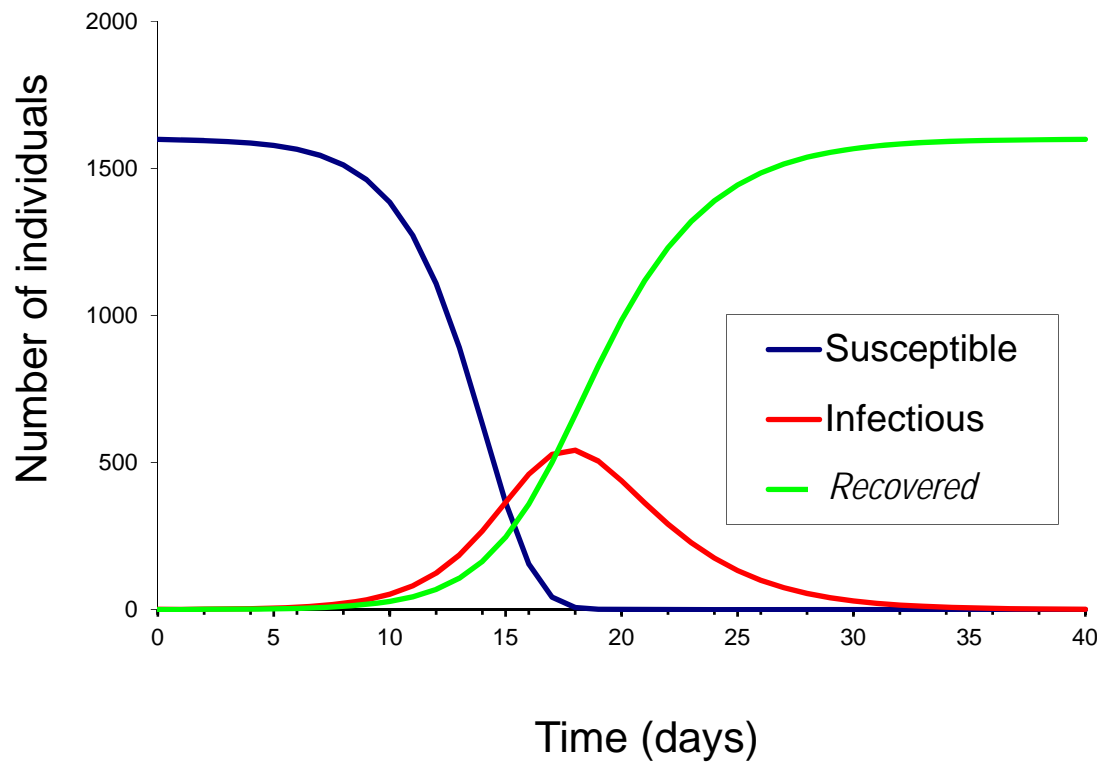
$$q_c = 1 - 1/R_0$$

In the present case  $q_c = 87.89\%$

At least 87.89% a cattle need to be vaccinated to stop FMD spread



# SIR model



## Inputs:

Time step: 1 day

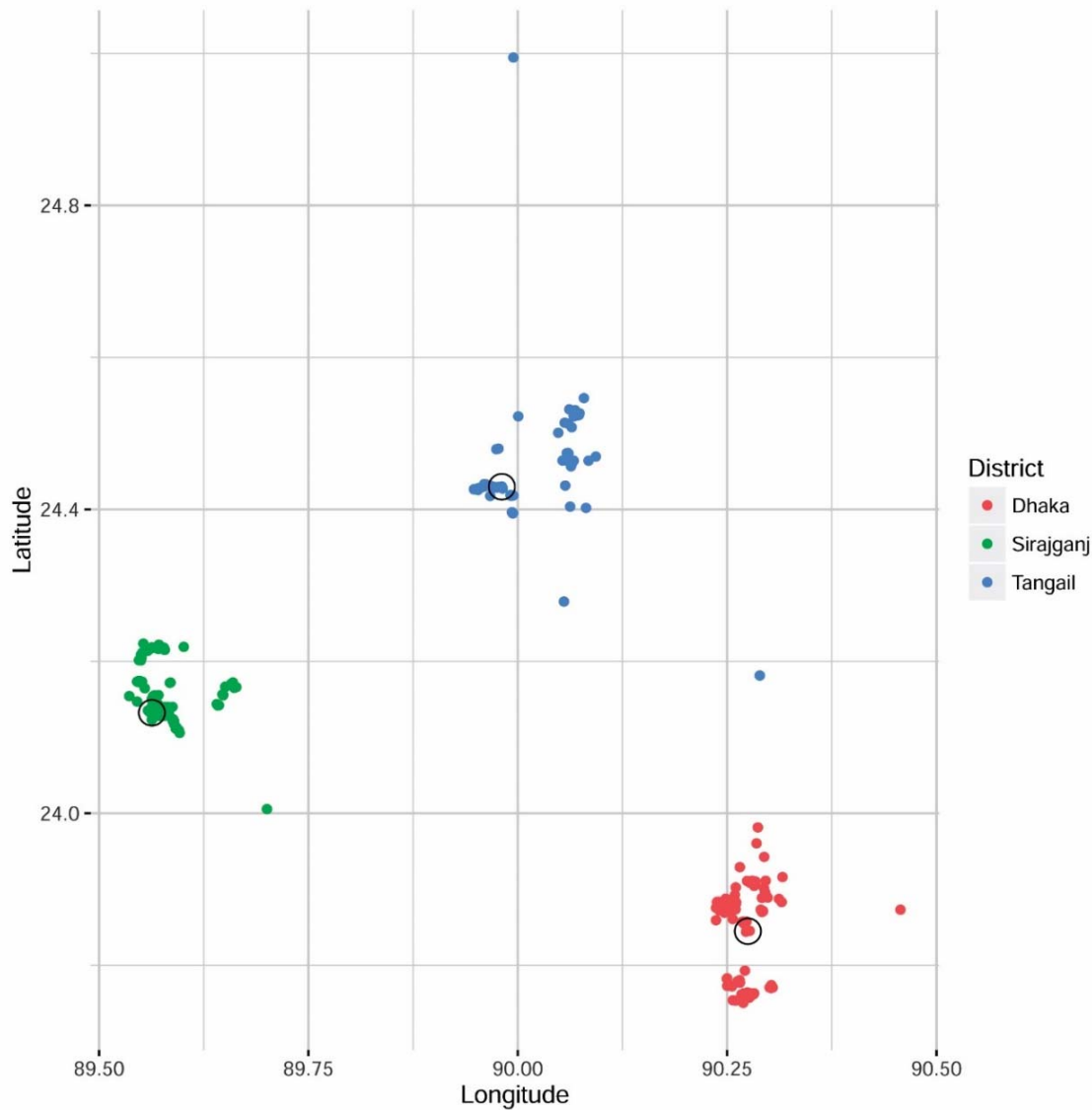
Population size: 2000

Latency: 3 days

Infectiousness: 3.14 days

$R_0$ : 8.26

# Seeding of the index case and simulation of outbreaks in 3 regions



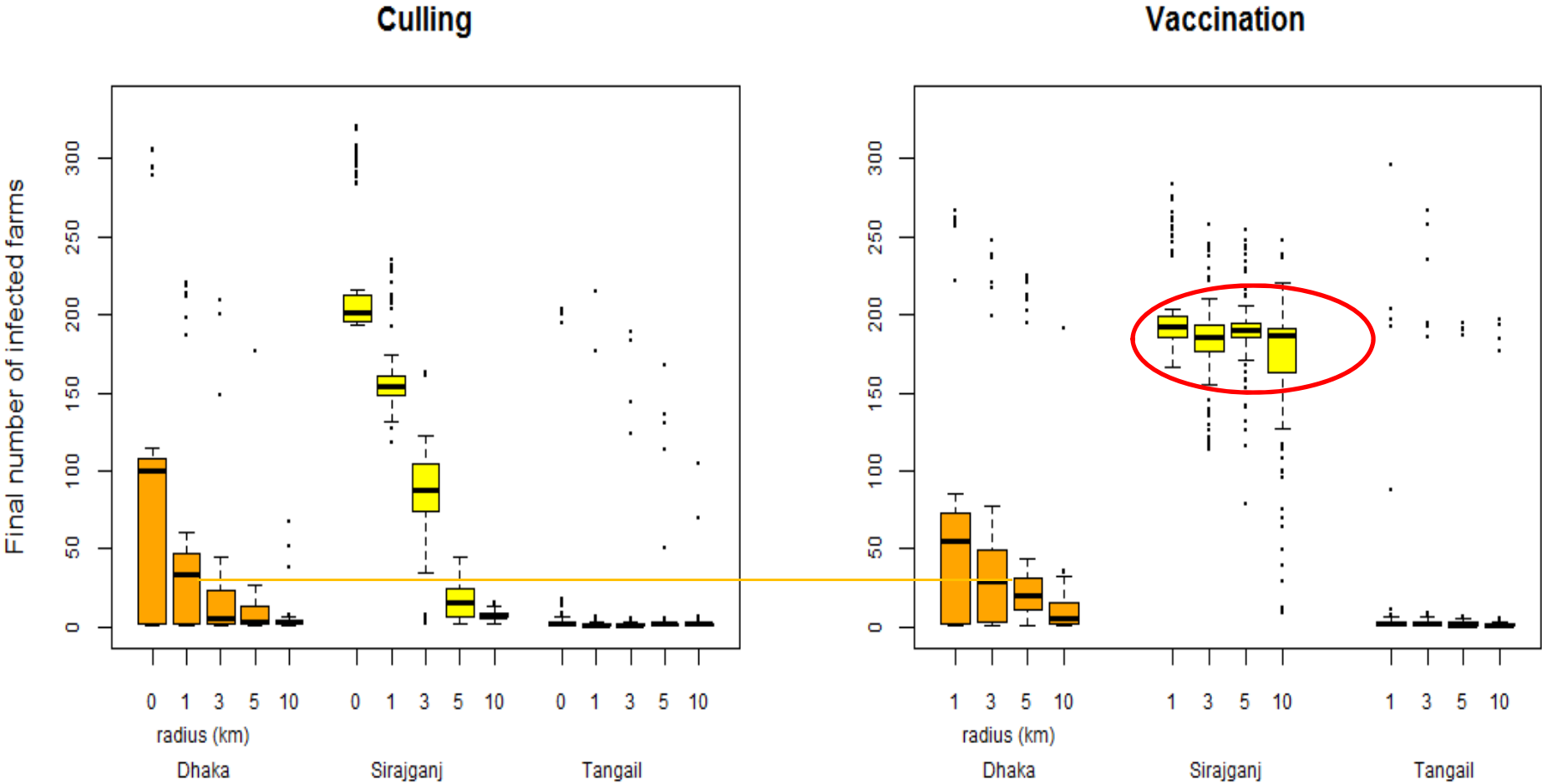
Estimated  
Transmission  
kernel ( $K(d_{ij})$ ):

$$K(d_{ij}) = g e^{-h d_{ij}}$$

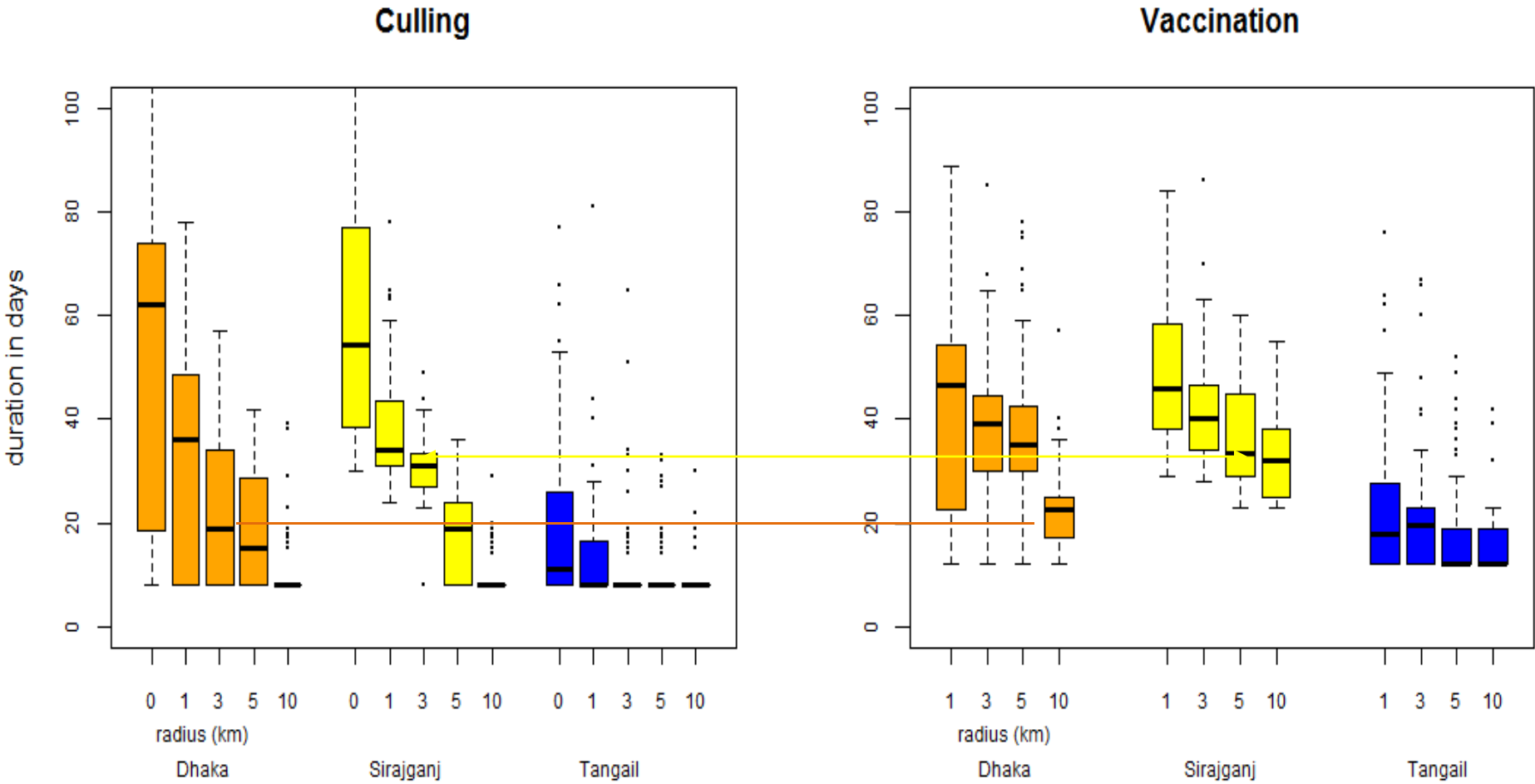
$$g = 12.5$$

$$h = 0.17$$

# Impact of culling or reactive vaccination on the number of infected farms as predicted in outbreak simulations



# Impact of culling or reactive vaccination on the duration of FMD outbreak as predicted in outbreak simulations



# Conclusion

- Extensive and intensive farming practices are associated with clustered and dispersed FMD outbreaks respectively
- Outbreaks were also observed in some vaccinated animals which leads the question of antigenic mismatching between vaccine and field strain.
- The average Basic Reproduction Number ( $R_0$ ) ranged from 2.17 to 20.32 with an average of **8.26**
- SIR model suggests that all the susceptible animals within an epidemiological unit are likely to be affected within **10 to 20 days** from the detection of the index case
- Outbreak simulation model appears to be applicable in predicting the impact of FMD control actions

## Acknowledgements:

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*Thank you*

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